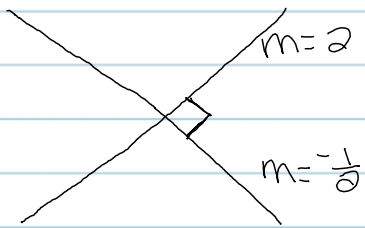


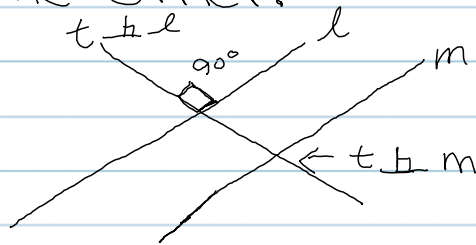
Al Geometry

105.10

Theorem 3-41

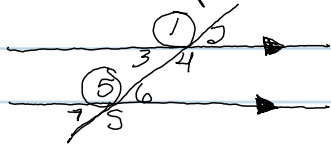


In a plane, if a line is perpendicular to one of two parallel lines, then it is perpendicular to the other.

 $l \parallel m$ 

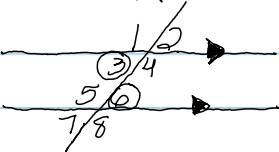
AM Geometry

Corresponding Angles Postulate



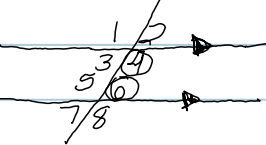
if two parallel lines are cut by a transversal, then each pair of corresponding angles are congruent.

Alternate interior angles theorem



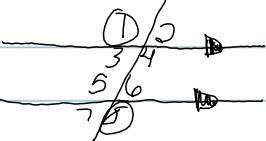
if two parallel lines are cut by a transversal, then each pair of alternate interior angles are congruent.

Consecutive interior angles theorem

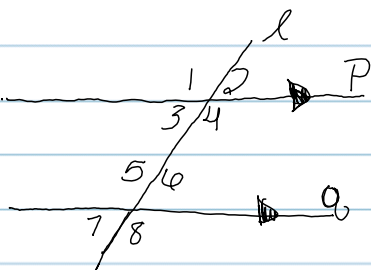


if two parallel lines are cut by a transversal, then each pair of consecutive interior angles are supplementary.

Alternate exterior angles theorem



if two parallel lines are cut by a transversal, then each pair of alt. ex. angles are congruent.

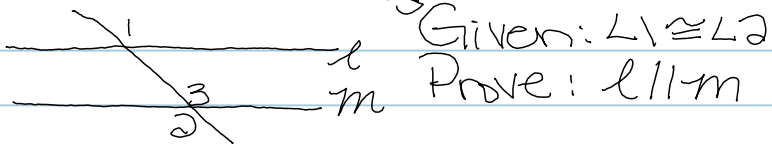


Given: $p \parallel q$
 l is transversal
 of p & q

Prove: $\angle 1 \cong \angle 8$
 $\angle 2 \cong \angle 7$

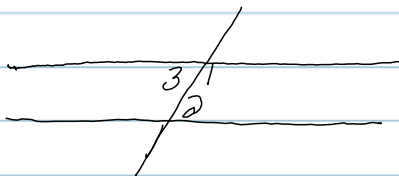
$p \parallel q$	Given
l is \neq p or q	
$\angle 1 \cong \angle 5$	
$\angle 5 \cong \angle 8$	
$\angle 1 \cong \angle 8$	Substitution

Alt Geometry



Given: $\angle 1 \cong \angle 2$
Prove: $l \parallel m$

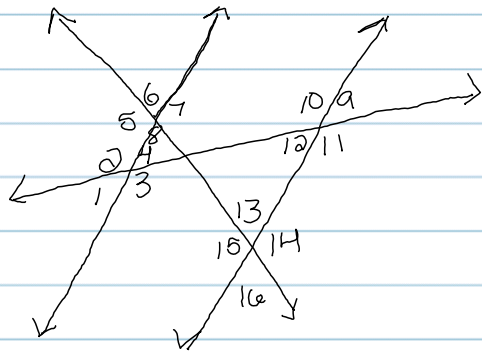
S	R
$\angle 1 \cong \angle 2$	Given
$\angle 2 \cong \angle 3$	Vertical angles are \cong
$\angle 1 \cong \angle 3$	Congruence of \angle 's is transitive
$l \parallel m$	IF \angle's + corr. \angle 's are \cong , then the lines are \parallel



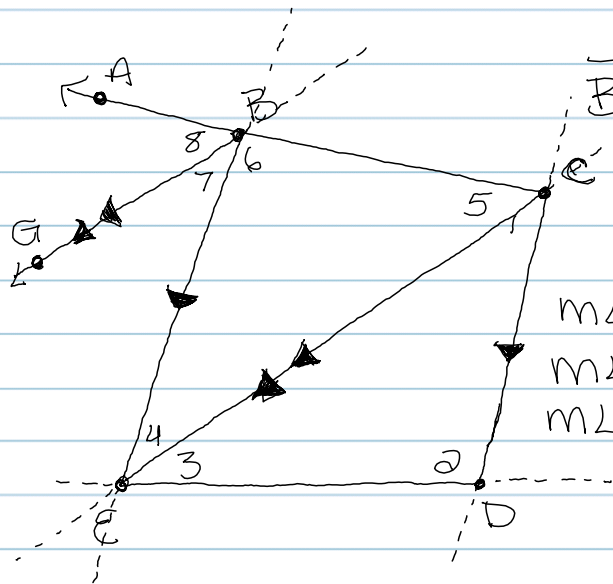
Given: $\angle 1 + \angle 2$ are supp.
Prove: $l = m$

S	R
$\angle 1 + \angle 2$ are supp.	Given
$\angle 1 + \angle 3$ form lin. pair	def. of linear pair
$\angle 1 + \angle 3$ are supp.	\angle 's that form a lin. pair are supp.
$m\angle 1 + m\angle 2 = 180$	Def. of supp. \angle 's
$m\angle 1 + m\angle 3 = 180$	
$m\angle 1 + m\angle 2 = m\angle 1 + m\angle 3$	Substitution
$m\angle 2 = m\angle 3$	Subtraction
$\angle 2 \cong \angle 3$	\angle 's that are supp. to the same \angle are \cong
$l \parallel m$	congruence if \angle's so that alt. int. \angle 's are \cong then the lines are \parallel

A4 Geometry



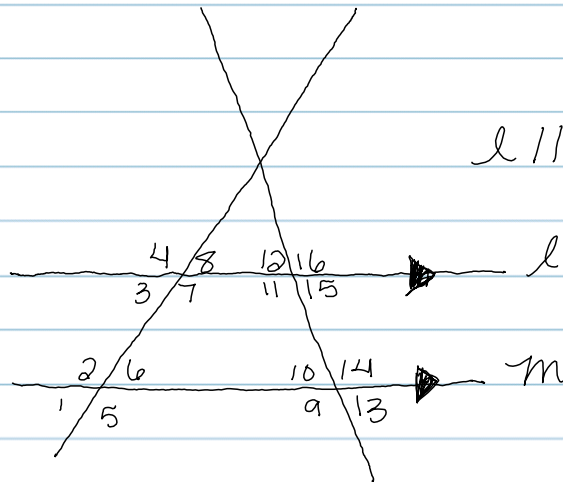
$\angle 2$ and $\angle 3$: vertical \angle 's
 $\angle 1$ & $\angle 9$: alt. exterior
 $\angle 2$ & $\angle 10$: corresponding
 $\angle 8$ & $\angle 15$: consecutive int.
 $\angle 3$ & $\angle 10$: alt. interior
 $\angle 15$ & $\angle 3$: undetermined



$\overline{BG} \parallel \overline{CE}$, $\overline{BE} \parallel \overline{CD}$, \overline{BG} bisects $\angle EBA$

$m\angle 8 = 42^\circ$ $m\angle 3 = 18^\circ$

$m\angle 7$	<u>42°</u>	$m\angle 4$	<u>42°</u>
$m\angle 1$	<u>42°</u>	$m\angle 6$	<u>96°</u>
$m\angle 5$	<u>42°</u>	$m\angle 2$	<u>120°</u>



$l \parallel m$

Find x if $m\angle 4 = 126^\circ$ and

$m\angle 5 = 2x - 2$

$2x - 2 = 126$

$2x = 128$

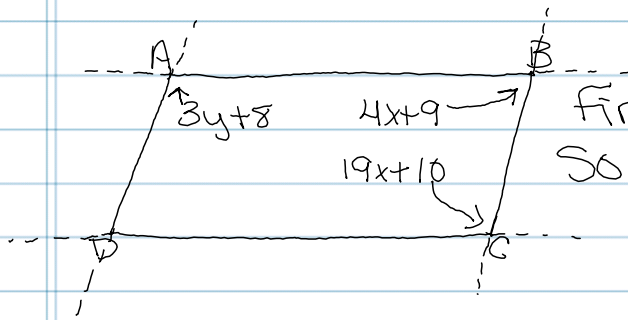
$x = 64$

If $m\angle 12 = 3x - 2$ & $m\angle 10 = 2x + 24$

find $m\angle 14$

$3x - 2 = 2x + 24$ $m\angle 14 = 104^\circ$

$x = 26$

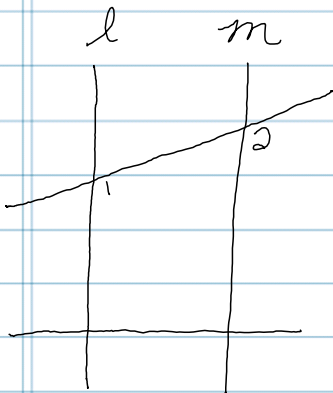


Find the value of x and y

So that:

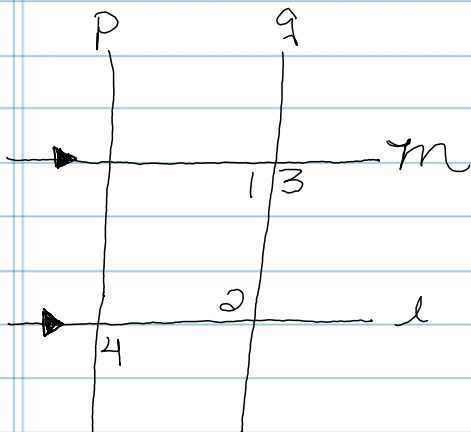
$$\overline{AB} \parallel \overline{CD}, \overline{AD} \parallel \overline{BC}$$

$$x=7 \quad y=45$$



Explain what must be true about angles 1 & 2 if you wish to prove $l \parallel m$.

If ~~\neq~~ and the corresp. \angle 's are \cong , then the lines are \parallel



Given: $\angle 1$ supplementary $\angle 4$ & $l \parallel m$

Prove: $p \parallel q$

S	R
$\angle 1$ suppl. $\angle 4$ & $l \parallel m$	given
$\angle 2$ suppl. $\angle 4$	consec. int. \angle s are suppl
$\angle 2 \cong \angle 4$	\angle suppl. to the same \angle are \cong
\neq $p \parallel q$	if \neq so alt. int. \angle s are \cong
	\cong then the lines \parallel

Al Geometry

Classifying Triangles Measuring Angles in Triangles

Angle Sum theorem - the sum of the ^{measures of the} ~~measures~~ ^{angles} of a triangle = 180°



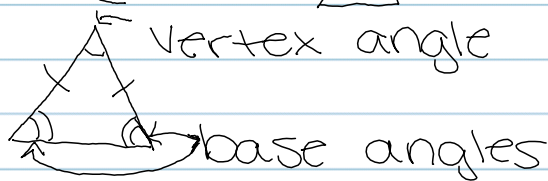
classified by \angle

- * acute triangles - all angles are acute angles
- * obtuse triangles - one of the angles is obtuse
- * right triangles - one angle is 90° or \perp

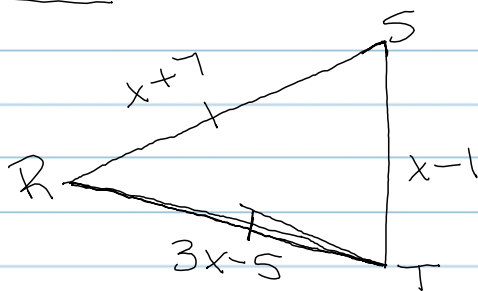
classified by Sides

- * equilateral triangles - all angles are congruent, all sides are congruent

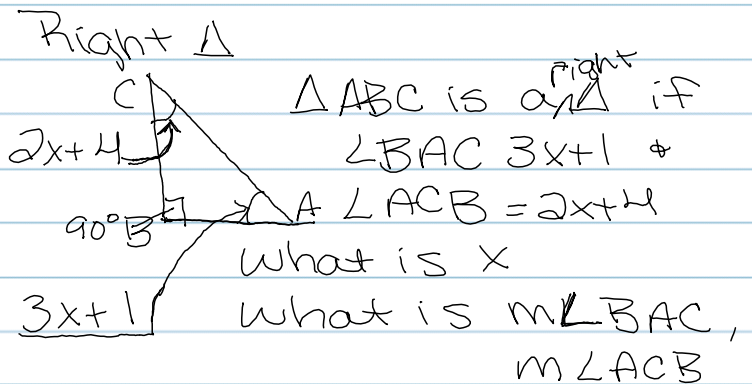
- * scalene triangles - none of sides are congruent
- * isosceles triangles - at least 2 sides are \cong



isosceles

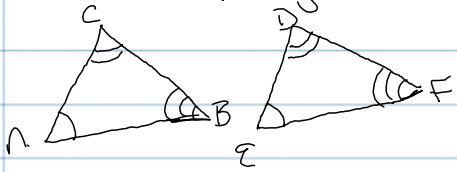


$$\begin{aligned} x+7 &= 3x-5 \\ 7 &= 2x-5 \\ 12 &= 2x \\ 6 &= x \end{aligned}$$



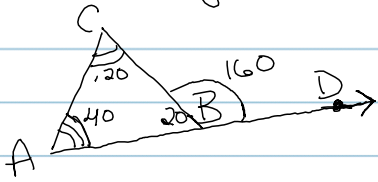
$$\begin{aligned} 2x+4+3x+1 &= 90 \\ 5x+5 &= 90 \\ 5x &= 85 \\ x &= 17 \end{aligned}$$

Third Angle Theorem - if 2 angles of one triangle are congruent to 2 angles of a second Δ then the 3rd angles of the Δ 's are \cong .



if $\angle ABC \cong \angle EFD$ &
 $\angle ACB \cong \angle EDF$ then
 $\angle CAB \cong \angle DEF$

Exterior Angle Theorem - the measure of an exterior \angle of a Δ is = the sum of the measures of the 2 remote interior \angle 's



$$m\angle CBD = m\angle BCA + m\angle BAC$$

$$160^\circ = 40^\circ + 20^\circ$$