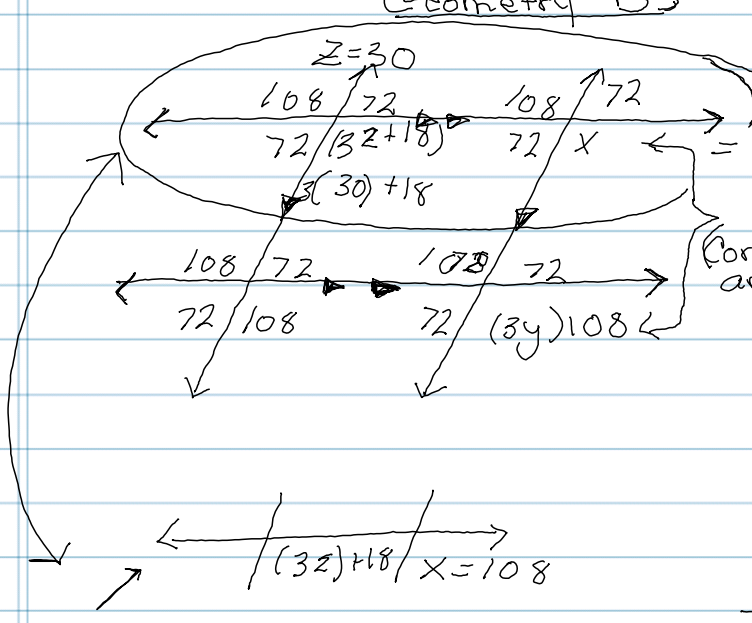


Geometry B3

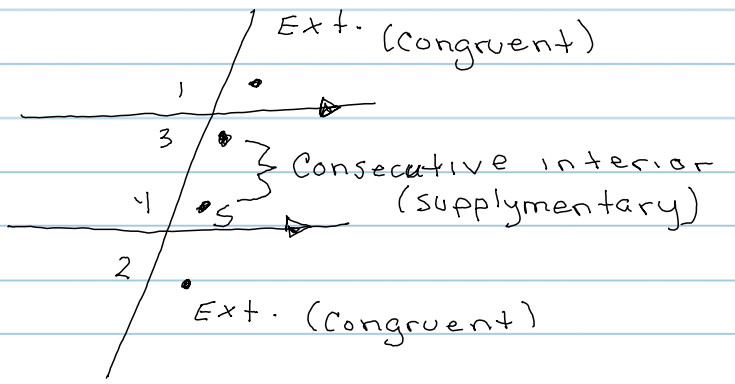


(Isolate the transversal you are looking at.)

$$3y + 72 = 180$$

$$3y = 108$$

$$y = 36$$



transversal

$$3z + 18 = 108$$

$$3z = 90$$

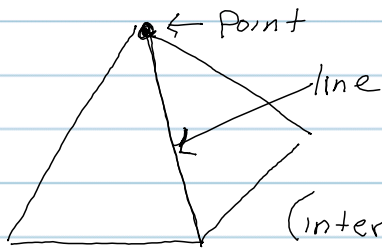
$$z = 30$$

- <1 and <2 are exterior and congruent
- <3 and <4 are consecutive interior (supp.)
- <3 and <5 are alternate interior (supp)
- <1 and <2 are also corresponding

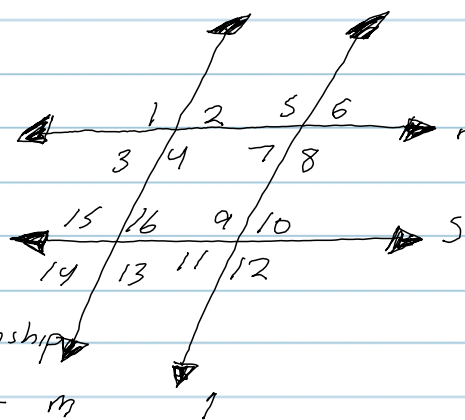
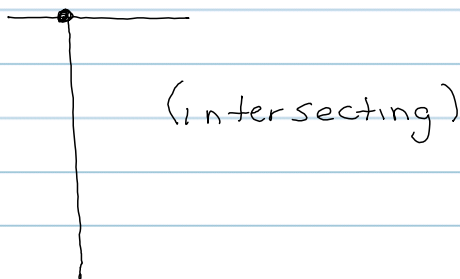
Ashley Keenan

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# Geometry B3



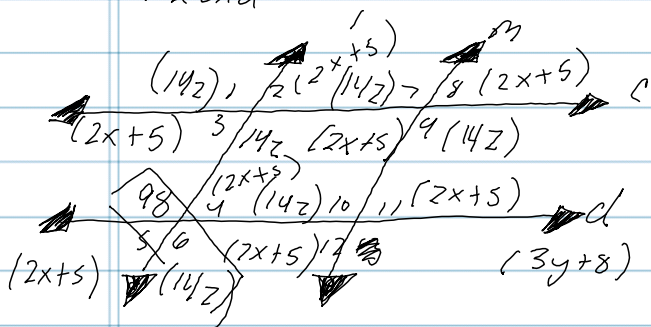
2 planes meet they form a line  
 3 planes meet they form a point  
 (intersecting)



- a. true b/c it intersects both lines
- b.  $\angle 4$  and  $\angle 9$  consec interior false no direct relationship
- c.  $\angle 14$  and  $\angle 10$  are corresponding angles false m b/c alternate exterior angles.
- d.  $\angle 7$  and  $\angle 10$  true
- e.  $\angle 2$  and  $\angle 16$

find  $x=38.5$   
 $y=30$   
 $z=7$

Ways to go about this problem:  
 $3y + 8 = 98$   
 alt ex  $\rightarrow$  congru  
 $14z = 98$   
 alt int  $\rightarrow$  Cong.  
 $14z + (2x + 5) = 180$   
Consecutive int.



$14z = 98 \quad z = 7$   
 $14z(98) + 2x + 5 = 180$

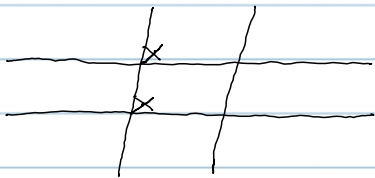
$2x = 77 \quad 38.5$

$3y + 8 = 98$   
 $\cdot 8 \quad -8$

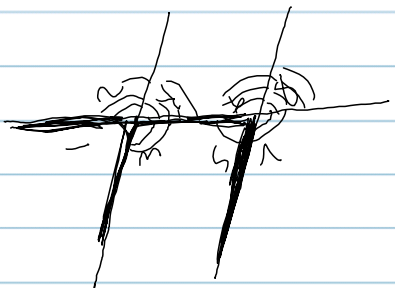
$\frac{3y = 90}{3 \quad 3} \quad 30$

Geometry 133 (cont)

Corresponding Angle Postulate

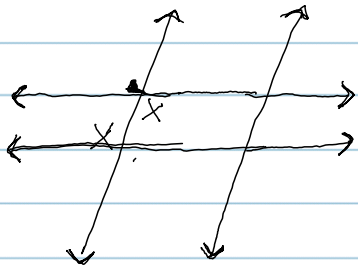


if two parallel lines are cut by a transversal, then each pair of corresponding angles are congruent. (equal or the same)

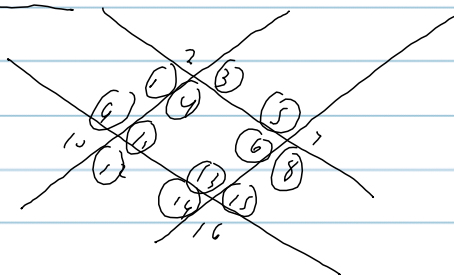
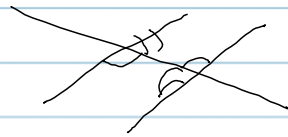
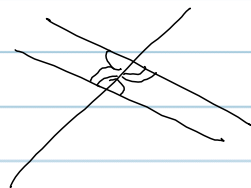
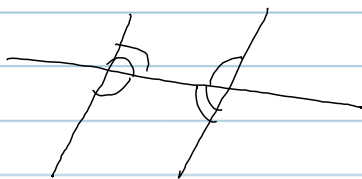
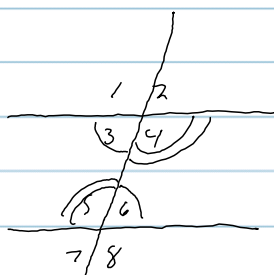


$\angle 2$  and  $\angle 6$  Corresponding angles  
 $\angle 4$  and  $\angle 8$   
 $\angle 1$  and  $\angle 5$   
 $\angle 3$  and  $\angle 7$

Alternate interior angles theorem:



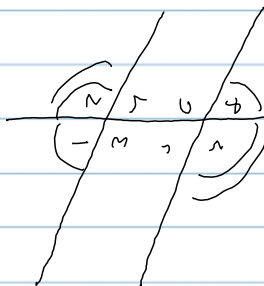
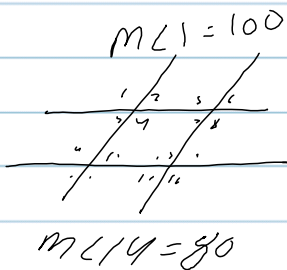
if two parallel lines are cut by a transversal then each pair of alternate interior angles is congruent.



Alternate exterior angle theorem:

if two parallel lines are cut by a transversal then each pair of alternate exterior angles is congruent.

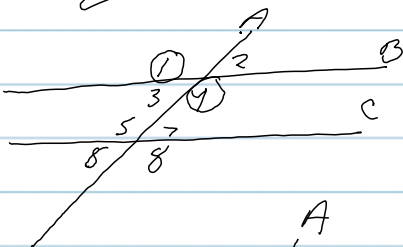
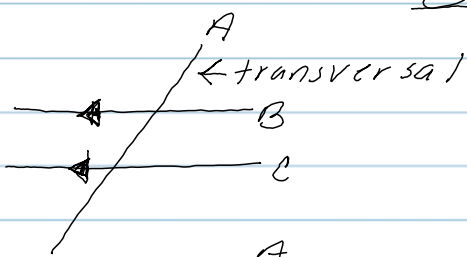
$m\angle 1 = 95^\circ$   
 $m\angle 8 = 95^\circ$



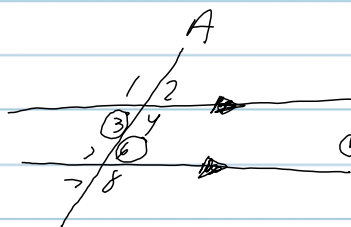
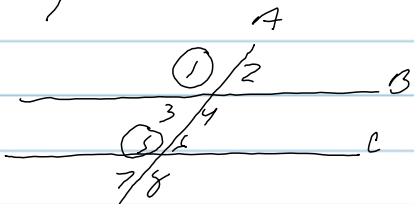
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Geometry B3 (study guide)

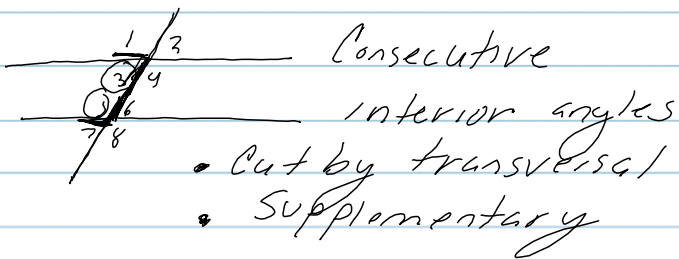


Vertical angles  
Congruent / same  
measure



Alternate  
interior angles  
• Cut by transversal  
• Congruent

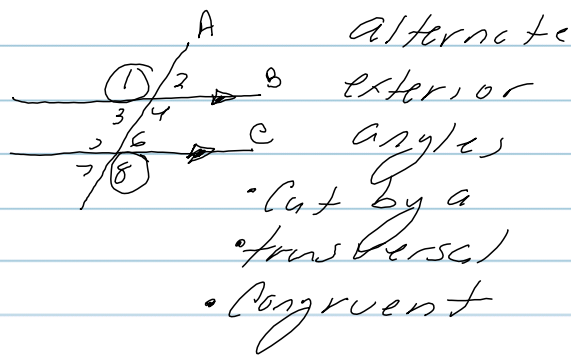
Corresponding angles  
• Cut by a transversal  
• Congruent



Consecutive

interior angles

• Cut by transversal  
• Supplementary



alternate

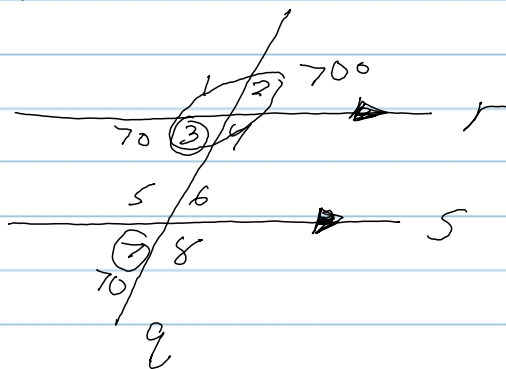
exterior

angles

• Cut by a  
transversal  
• Congruent

Converse of Corresponding angle Postulate:

If two lines in a plane are cut by a transversal so that corresponding angles are Congruent, then the lines are Parallel.



$m\angle 2 = 70$

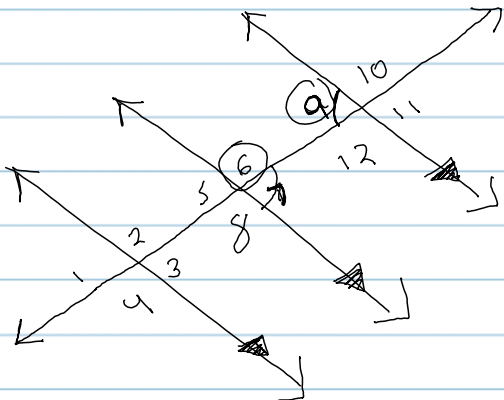
find  $m\angle 8 = 110^\circ$

$m\angle 5 = 110^\circ$

$m\angle 6 = 70^\circ$

Ashley Keeney  
Geometry B3 (con.)

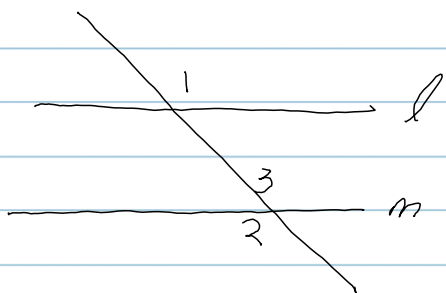
1/11/10



$m\angle 7 = 100$

find  $m\angle 9 = 100^\circ$  (alt interior)

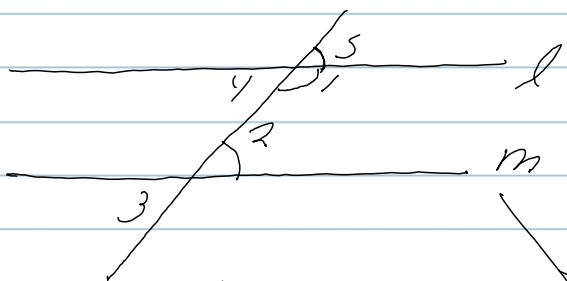
$m\angle 6 = 80^\circ$  (consecutive interior)



Given  $\angle 1 \cong \angle 2$

Prove  $l \parallel m$

S	R
$\angle 1 \cong \angle 2$	given
$\angle 2 \cong \angle 3$	vertical angles
$\angle 1 \cong \angle 3$	Congruence of $\angle$ 's is transitive
$l \parallel m$	(if 2 parallel lines are cut by a transversal and corresponding angles are congruent then lines are $\parallel$ )



Given:  $\angle 1$  and  $\angle 2$  are supplement.

Prove:  $l \parallel m$

S	R
$\angle 1 + \angle 2$ sup.	Given

$\angle 1$  &  $\angle 5$  are linear pair

$\angle 1$  &  $\angle 2$  are suppl.

$\angle 2$  &  $\angle 5 \cong$

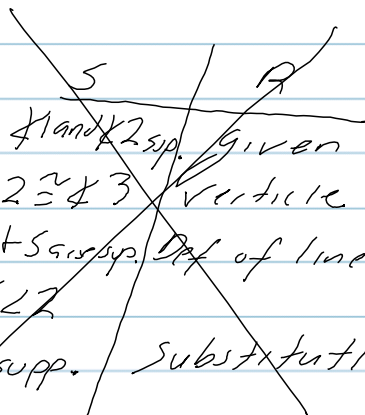
$l \parallel m$

Def of LP

L.P. are suppl.

$\angle$ 's supplementary to same  $\angle$ 's are  $\cong$

if alternate interior angles are congruent then the lines are parallel.



$\angle 1$  and  $\angle 2$  sup. Given

$\angle 2 \cong \angle 3$  vertical  $\angle$ 's are  $\cong$

$\angle 5 \cong \angle 2$

Def of linear pair

$\angle 1$  -  $\angle 2$  / suppl.

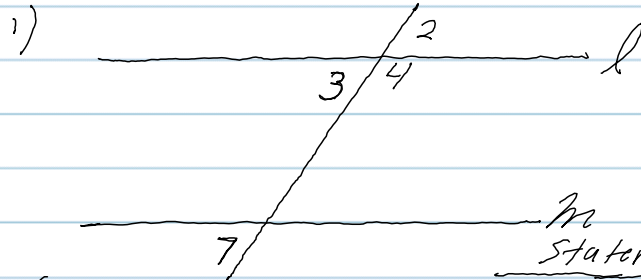
Substitution

Geometry B3

(workspace)

(Answers)

2)  $\angle 1 + \angle 4 \cong$   
 $\angle 2 + \angle 3 \cong$   
 $\angle 4 + \angle 3$  supp



given  $\angle 2 \cong \angle 7$   
 Prove:  $l \parallel m$

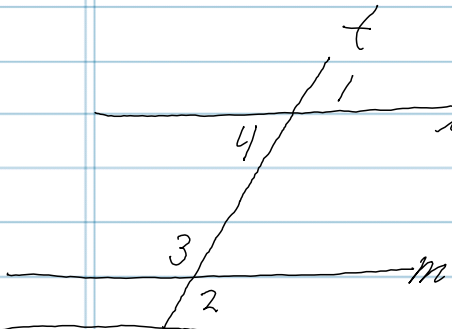
(transitive:  
 $x=y$   
 $y=z$   
 $x=z$ )

- 1.  $\angle 2 \cong \angle 7$
- 2.  $\angle 2 \cong \angle 3$
- 3.  $\angle 3 \cong \angle 7$
- 4.  $l \parallel m$

Reasons  
 Given  
 Vertical angles are  $\cong$   
 Transitive / Substitution  
 if  $\angle$  and corr  $\angle$ s are  $\cong$  then the lines are  $\parallel$

$\nabla$  means 2 lines

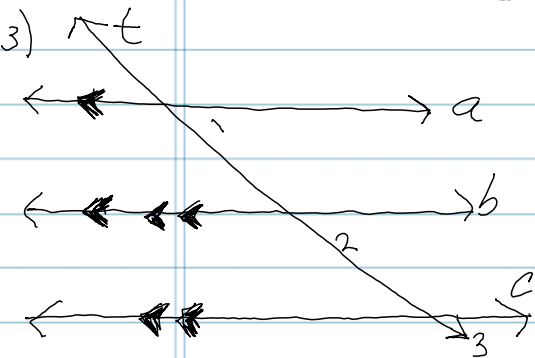
cut by a transversal



2) Given  $\angle 1$  supp  $\angle 2$   
 Prove  $l \parallel m$

- S
- $\angle 1$  supp  $\angle 2$
- $\angle 1 \cong \angle 4$
- $\angle 2 \cong \angle 3$
- $\angle 4$  supp  $\angle 3$
- $l \parallel m$

R  
 Given  
 Vertical angles  $\cong$   
 Vertical angles  $\cong$   
 Substitution  
 if  $\nabla$  and corr. int.  $\angle$ s are supp then the lines are  $\parallel$



3) Given  $a \parallel b$ ,  $b \parallel c$   
 Prove  $a \parallel c$   
 (transitive)

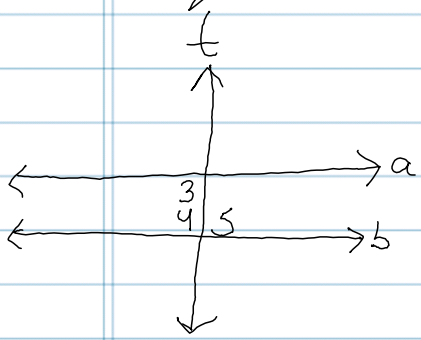
- S
- $a \parallel b$ ,  $b \parallel c$
- $\angle 1 \cong \angle 2$
- $\angle 2 \cong \angle 3$
- $\angle 1 \cong \angle 3$
- $a \parallel c$

R  
 Given  
 corresponding  $\angle$ s  $\cong$   
 corresponding  $\angle$ s  $\cong$   
 transitive propof  
 if  $\nabla$  and corresp.  $\angle$ s are cong. then the lines are  $\parallel$

Ashley Keenan

Geometry B3 (Conn.)

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given  $\angle 3$  &  $\angle 4$  supp  
 $a \parallel b$

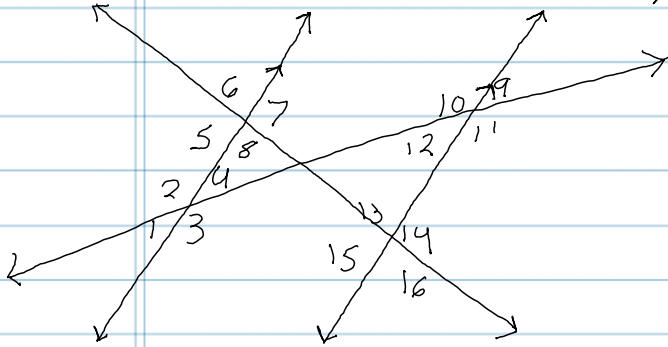
$\angle 3$  &  $\angle 4$  supp  
 $\angle 4$  &  $\angle 5$  supp  
 form linear pair  
 $\angle 4$  &  $\angle 5$  supp  
 $m\angle 3 + m\angle 4 = 180$   
 $m\angle 4 + m\angle 5 = 180$   
 $m\angle 3 + m\angle 4 = m\angle 4 + m\angle 5$   
 $m\angle 3 = m\angle 5$   
 $\angle 3 \cong \angle 5$   
 $a \parallel b$

S	R	$\angle 3 \cong \angle 5$
given	given	$\angle 4$ & $\angle 5 =$ supp
Def of Linear Pair	Linear pairs are supp.	
Definition of Supp $\angle$ 's		
Substitution		
Subtraction		
Def. of $\cong$ angles		
if $\neq$ and alternate interior angles are congruent then the lines are $\parallel$ .		

Geometry B3

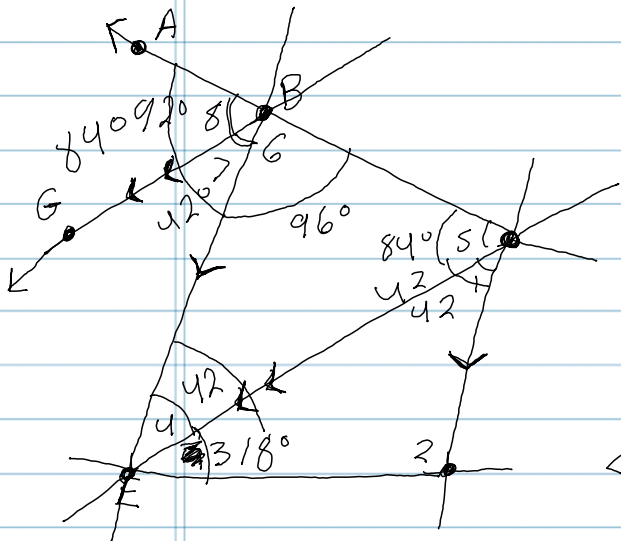
Ch 3.

Study Guide



A. Angles relationships.

- $\angle 2 \ \& \ \angle 3 = \text{vertical (cong.)}$
- $\angle 1 \ \& \ \angle 9 = \text{alt. ext. (cong.)}$
- $\angle 2 \ \& \ \angle 10 = \text{corresponding (cong.)}$
- $\angle 8 \ \& \ \angle 15 = \text{cons. int. (supp.)}$
- $\angle 3 \ \& \ \angle 10 = \text{alt int. (cong.)}$
- $\angle 15 \ \& \ \angle 3 = \text{No relationship}$



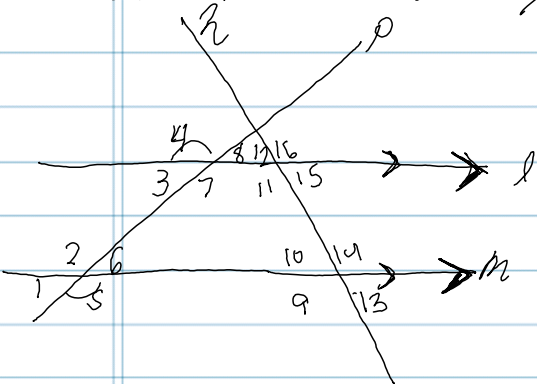
B.  $BG \parallel CE$ ,  $BE \parallel CD$ ,  $BG$  bisects  $\angle EBA$   
 $m\angle 8 = 42^\circ$ ,  $m\angle 3 = 18^\circ$

find:

$$\begin{aligned} \angle 7 &= 42^\circ \\ \angle 1 &= 42^\circ \\ \angle 5 &= 42^\circ \end{aligned}$$

$$\begin{aligned} \angle 4 &= 42^\circ \\ \angle 6 &= 96^\circ \\ \angle 2 &= 120^\circ \end{aligned}$$

bisect-cut into 2 equal parts.



C) find  $x$  if  $m\angle 4 = 126^\circ$  and  $m\angle 5 = 2x - 2$

$$\begin{aligned} a. \quad & 2x \\ & + 2 \quad + 2 \\ \hline & 2x = 128 \\ & \frac{2x}{2} = \frac{128}{2} \\ & x = 64^\circ \end{aligned}$$

$\angle 4$  and  $\angle 5$  are alt ex. which means they are congruent so  $\angle 5 = \angle 4$  so  $126 = 2x - 2$ .  
 solve.

Geometry B3 (Conn.)

C)

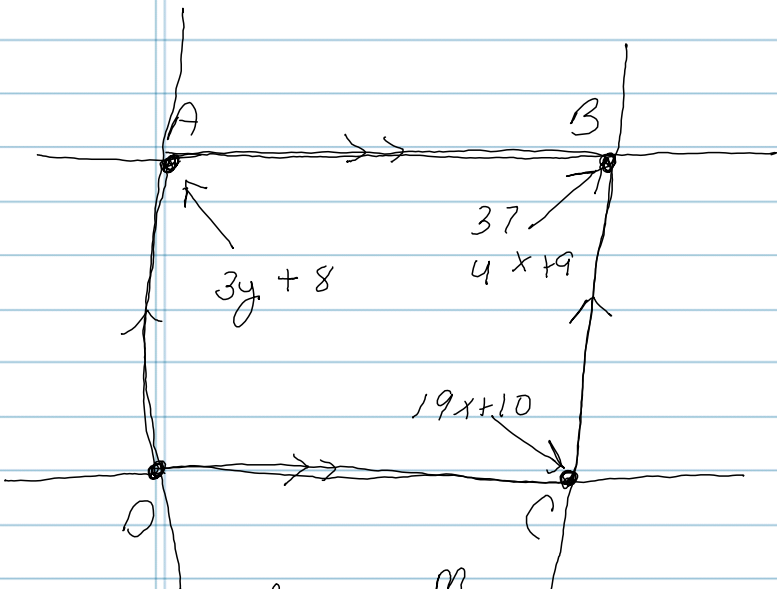
b. if  $m\angle 12 = 3x - 2$  and  $m\angle 16 = 2x + 24$  find  $m\angle 14$

$3x - 2 = 2x + 24$  (corresponding angles) [cong.]

$x = 26$        $2(26) + 24 = 76$        $m\angle 10 = 76^\circ$

$m\angle 14 = m\angle 10 (-180)$

$180 - 76 = 104^\circ$



$\overline{AB} \parallel \overline{CD}$   
 $\overline{AD} \parallel \overline{BC}$   
 for  $x$  and  $y$

$4x + 19 + 19 + 10 = 180$

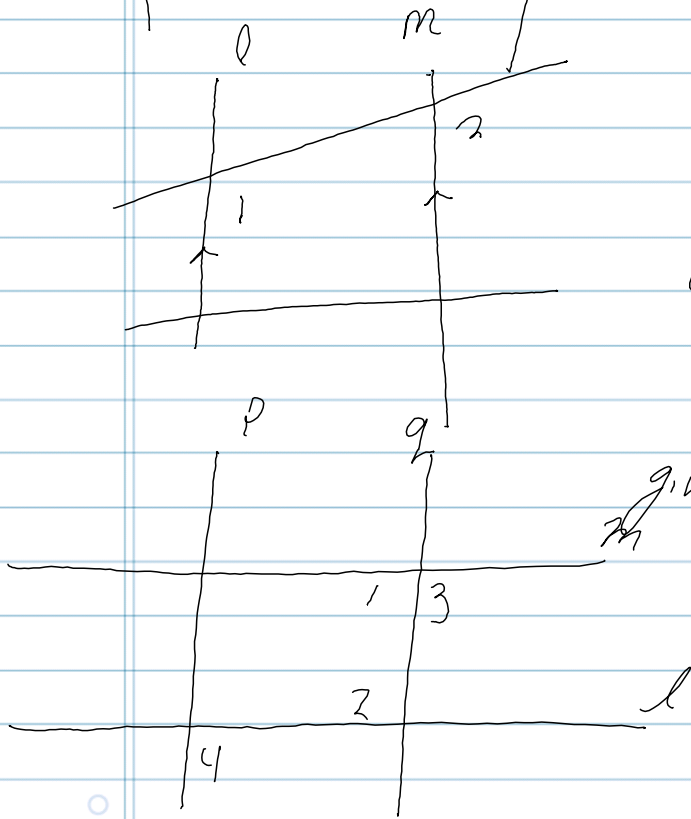
$2(3x + 10) = 18$

~~$x = 7$~~

$3y + 8 + 37 =$

$y = 45$

if  $\neq$  so that corresponding  $\angle$ 's are congruent ( $\cong$ ) then the lines are parallel. (11)



given  $l_1$  and  $l_2$  sup  
 $l \parallel m$   
 prove  $p \parallel q$

$\angle 1$  sup  $\angle 4$   
 $l \parallel m$

$\angle 1$  sup  $\angle 2$   
 $l \parallel m$

$l \parallel m$

given

cons. int. (-opp)  
 $\angle$ 's sup. to same  $\angle$  are  $\cong$

if  $\neq$  so that alt int  $\angle$ 's are cong the lines are  $\parallel$ .